# SIC1203 MEASUREMENTS AND INSTRUMENTATION

# UNIT 1 BASIC MEASUREMENTS

Methods of Measurement, Measurement System, Classification of instrument system, Functional Elements of measurement system - Examples - Characteristics of instruments: Static characteristics - Dynamic characteristic Types of errors - sources of errors - methods of elimination - Analysis of data - Limiting errors - Relative limiting error - Combination of Quantities with limiting errors - Statistical treatment of data: Histogram, Mean, Measure of dispersion from the mean, Range, Deviation, Average deviation, Standard Deviation, Variance - Calibration and Standards - Process of Calibration.

# METHODS OF MEASUREMENT

Measurement is the assignment of a number to a physical quantity or characteristic of an object or event, which can be compared with other objects or events.

# (i) Direct method of measurement.

In this method the value of a quantity is obtained directly by comparing the unknown with the standard. Direct methods are common for the measurement of physical quantities such as length, mass and time. It involves no mathematical calculations to arrive at the results, for example, measurement of length by a graduated scale. The method is not very accurate because it depends on human insensitiveness in making judgment.

# (ii) Indirect method of measurement.

In this method several parameters (to which the quantity to be measured is linked with) are measured directly and then the value is determined by mathematical relationship. For example, measurement of density by measuring mass and geometrical dimensions.

# **MEASUREMENT SYSTEM**

Measurement system, any of the systems used in the process of associating numbers with physical quantities and phenomena. Although the concept of weights and

measures today includes such factors as temperature, luminosity, pressure, and electric current, it once consisted of only four basic measurements: **mass** (weight), **distance or length**, **area**, and **volume** (liquid or grain measure).

Basic to the whole idea of weights and measures are the concepts of uniformity, units, and standards. Uniformity, the essence of any system of weights and measures, requires accurate, reliable standards of mass and length and agreed-on units. A unit is the name of a quantity, such as kilogram or pound. A standard is the physical embodiment of a unit, such as the platinum-iridium cylinder kept by the International Bureau of Weights and Measures at Paris as the standard kilogram.

Two types of measurement systems are distinguished historically: an **evolutionary system**, such as the British Imperial, which grew more or less haphazardly out of custom, and a **planned system**, such as the **International System of Units** (SI), in universal use by the world's scientific community and by most nations.

The International System of Units (French: Système international d'unités, SI) is the modern form of the metric system, and is the most widely used system of measurement. It comprises a coherent system of units of measurement built on seven base units. It defines twenty-two named units, and includes many more unnamed coherent derived units. The system also establishes a set of twenty prefixes to the unit names and unit symbols that may be used when specifying multiples and fractions of the units.

The system was published in 1960 as the result of an initiative that began in 1948. It is based on the **metre-kilogram-second system of units (MKS)** rather than any variant of the **centimetre-gram-second system (CGS)**.

# **CLASSIFICATION OF INSTRUMENT SYSTEMS**

# Basic classification of measuring instruments:

1. **Mechanical Instruments**:- They are very reliable for static and stable conditions. The disadvantage is they are unable to respond rapidly to measurement of dynamic and transient conditions.

2. **Electrical Instruments**:- Electrical methods of indicating the output of detectors are more rapid than mechanical methods. The electrical system normally depends upon a mechanical meter movement as indicating device.

3. **Electronic Instruments**:- These instruments have very fast response. For example a cathode ray oscilloscope (CRO) is capable to follow dynamic and transient changes of the order of few nano seconds (10-9 sec).

## 1. Absolute instruments or Primary Instruments

These instruments gives the magnitude of quantity under measurement in terms of physical constants of the instrument e.g. Tangent Galvanometer. These instruments do not require comparison with any other standard instrument

These instruments give the value of the electrical quantity in terms of absolute quantities (or some constants) of the instruments and their deflections.
In this type of instruments no calibration or comparison with other instruments is necessary.

• They are generally not used in laboratories and are seldom used in practice by electricians and engineers. They are mostly used as means of standard measurements and are maintained in national laboratories and similar institutions. Examples of absolute instruments are: Tangent galvanometer, Raleigh current balance, Absolute electrometer

# 2. Secondary instruments

These instruments are so constructed that the quantity being measured can only be determined by the output indicated by the instrument. These instruments are calibrated by comparison with an absolute instrument or another secondary instrument, which has already been calibrated against an absolute instrument.

Working with absolute instruments for routine work is time consuming since every time a measurement is made, it takes a lot of time to compute the magnitude of quantity under measurement. Therefore secondary instruments are most commonly used.

They are direct reading instruments. The quantity to be measured by these instruments can be determined from the deflection of the instruments.
They are often calibrated by comparing them with either some absolute instruments or with those which have already been calibrated.

• The deflections obtained with secondary instruments will be meaningless until it is not calibrated.

• These instruments are used in general for all laboratory purposes.

• Some of the very widely used secondary instruments are: ammeters, voltmeter, wattmeter, energy meter (watt-hour meter), ampere-hour meters etc.

# **Classification of Secondary Instruments:**

# Classification based on the way they present the results of measurements

*Deflection type:* Deflection of the instrument provides a basis for determining the quantity under measurement. The measured quantity produces some physical effect which deflects or produces a mechanical displacement of the moving system of the instrument.

*Null Type:* In a null type instrument, a zero or null indication leads to determination of the magnitude of measured quantity.

# Classification based on the various effects of electric current (or voltage) upon which their operation depend.

They are:

• *Magnetic effect:* Used in ammeters, voltmeters, watt-meters, integrating meters etc.

- Heating effect: Used in ammeters and voltmeters.
- Chemical effect: Used in dc ampere hour meters.
- *Electrostatic effect:* Used in voltmeters.

• *Electromagnetic induction effect:* Used in ac ammeters, voltmeters, watt meters and integrating meters.

Generally the magnetic effect and the electromagnetic induction effect are utilized for the construction of the commercial instruments. Some of the instruments are also named based on the above effect such as electrostatic voltmeter, induction instruments, etc.

# **Classification based on the Nature of their Operations**

We have the following instruments.

• Indicating instruments: Indicating instruments indicate, generally the quantity

to be measured by means of a pointer which moves on a scale. Examples are ammeter, voltmeter, wattmeter etc.

• *Recording instruments:* These instruments record continuously the variation of any electrical quantity with respect to time. In principle, these are indicating instruments but so arranged that a permanent continuous record of the indication is made on a chart or dial. The recording is generally made by a pen on a graph paper which is rotated on a dice or drum at a uniform speed. The amount of the quantity at any time (instant) may be read from the traced chart. Any variation in the quantity with time is recorded by these instruments. Any electrical quantity like current, voltage, power etc., (which may be measured lay the indicating instruments) may be arranged to be recorded by a suitable recording mechanism.

• Integrating instruments: These instruments record the consumption of the total quantity of electricity, energy etc., during a particular period of time. That is, these instruments totalize events over a specified period of time. No indication of the rate or variation or the amount at a particular instant are available from them. Some widely used integrating instruments are: Amperehour meter: kilowatthour (kWh) meter, kilovolt-ampere-hour (kVARh) meter.

## Classification based on the Kind of Current that can be Measurand.

Under this heading, we have:

- Direct current (dc) instruments
- Alternating current (ac) instruments
- Both direct current and alternating current instruments (dc/ac instruments).

#### Classification based on the method used.

Under this category, we have:

• *Direct measuring instruments:* These instruments converts the energy of the measured quantity directly into energy that actuates the instrument and the value of the unknown quantity is measured or displayed or recorded directly. These instruments are most widely used in engineering practice because they are simple and inexpensive. Also, time involved in the measurement is shortest. Examples are Ammeter, Voltmeter, Watt meter etc.

• Comparison instruments: These instruments measure the unknown quantity by comparison with a standard. Examples are dc and ac bridges and potentiometers. They are used when a higher accuracy of measurements is desired.

# FUNCTIONAL ELEMENTS OF MEASUREMENT SYSTEM

A systematic organization and analysis are more important for measurement systems. The whole operation system can be described in terms of functional elements. The functional elements of generalized measurement system are shown in figure 1.

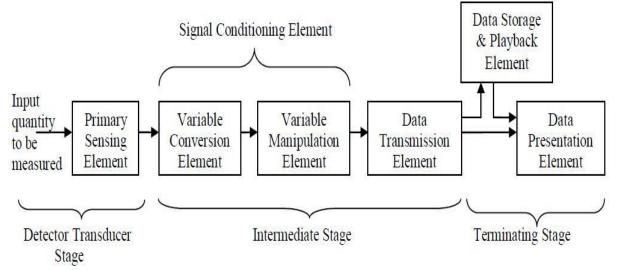


Figure 1 Functional elements of generalized measurement system

Most of the measurement system consists of following functional elements.

- 1. Primary sensing element
- 2. Variable conversion element
- 3. Variable manipulation element
- 4. Data transmission element
- 5. Data storage and playback element
- 6. Data presentation element

#### **1. Primary Sensing Element**

The quantity under measurement makes its first contact with primary sensing element of measurement system. The quantity is first sensed or detected by primary sensor. Then detected physical quantity signal is converted into an electrical signal by a transducer.

Transducer is defined as a device which converts a physical quantity into an electrical quantity. Sensor is act as primary element of transducer. In many cases the physical quantity is directly converted into an electrical quantity by a transducer. So the first stage of a measurement system is known as a detector transducer stage.

Example, Pressure transducer with pressure sensor, Temperature sensor etc.,

## 2. Variable Conversion Element

The output of primary sensing element is electrical signal of any form like a voltage, a frequency or some other electrical parameter. Sometime this output not suitable for next level of system. So it is necessary to convert the output some other suitable form while maintaining the original signal to perform the desired function the system.

For example the output primary sensing element is in analog form of signal and next stage of system accepts only in digital form of signal. So, we have to convert analog signal into digital form using an A/D converter. Here A/D converter is act as variable conversion element.

## 3. Variable Manipulation Element

The function of variable manipulation element is to manipulate the signal offered but original nature of signal is maintained in same state. Here manipulation means only change in the numerical value of signal.

# Examples,

1. Voltage amplifier is act as variable manipulation element. Voltage amplifier accepts a small voltage signal as input and produces the voltage with greater magnitude .Here

numerical value of voltage magnitude is increased.

2. Attenuator acts as variable manipulation element. It accepts a high voltage signal and produces the voltage or power with lower magnitude. Here numerical value of voltage magnitude is decreased.

- Linear process manipulation elements: Amplification, attenuation, integration, differentiation, addition and subtraction etc.,
- Nonlinear process manipulation elements: Modulation, detection, sampling, filtering, chopping and clipping etc.,

All these elements are performed on the signal to bring it to desired level to be accepted by the next stage of measurement system. This process of conversion is called signal conditioning. The combination of variable conversion and variable manipulation elements are called as Signal Conditioning Element.

# 4. Data Transmission Element

The elements of measurement system are actually physically separated; it becomes necessary to transmit the data from one to another. The element which is performs this function is called as data transmission element.

Example, Control signals are transmitted from earth station to Space-crafts by a telemetry system using radio signals. Here telemetry system is act as data transmission element.

The combination of Signal conditioning and transmission element is known as Intermediate Stage of measurement system.

## 5. Data storage and playback element

Some applications requires a separate data storage and playback function for easily rebuild the stored data based on the command. The data storage is made in the form of pen/ink and digital recording. Examples, magnetic tape recorder/ reproducer, X-Y recorder, X-t recorder, Optical Disc recording ect.,

## 6. Data presentation Element

The function of this element in the measurement system is to communicate the information about the measured physical quantity to human observer or to present it in an understandable form for monitoring, control and analysis purposes.

Visual display devices are required for monitoring of measured data. These devices may be analog or digital instruments like ammeter, voltmeter, camera, CRT, printers, analog and digital computers. Computers are used for control and analysis of measured data of measurement system. This Final stage of measurement system is known as Terminating stage.

# **EXAMPLE OF GENERALIZED MEASUREMENT SYSTEM**

#### **Bourdon Tube Pressure Gauge:**

The simple pressure measurement system using bourdon tube pressure gauge is shown in figure 2.The detail functional elements of this pressure measurement system is given below.

Quantity to be measured : Pressure

Primary sensing element and Variable conversion element : Bourdon Tube Data Transmission element: Mechanical LinkagesVariable manipulation Element: Gearing arrangement

Data presentation Element: Pointer and Dial

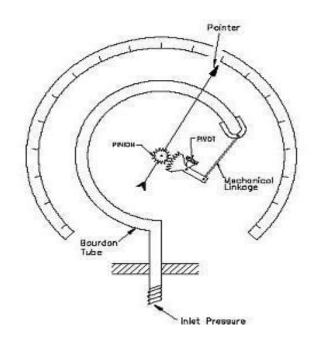


Figure 2 Bourdon tube pressure gauge

In this measurement system, bourdon tube is act as primary sensing and variable conversion element. The input pressure is sensed and converted into small displacement by a bourdon tube. On account of input pressure the closed end of the tube is displaced. Because of this pressure in converted into small displacement. The closed end of bourdon tube is connected through mechanical linkage to a gearing arrangement.

The small displacement signal can be amplified by gearing arrangement and transmitted by mechanical linkages and finally it makes the pointer to rotate on a large angle of scale. If it is calibrated with known input pressure, gives the measurement of the pressure signal applied to the bourdon tube in measurand.

# CHARACTERISTICS OF MEASURING INSTRUMENTS

These performance characteristics of an instrument are very important in their selection.

- Static Characteristics: Static characteristics of an instrument are considered for instruments which are used to measure an unvarying process condition. Performance criteria based upon static relations represent the static Characteristics. (The static characteristics are the value or performance given after the steady state condition has reached).
- Dynamic Characteristics: Dynamic characteristics of an instrument are considered for instruments which are used to measure a varying process condition. Performance criteria based upon dynamic relations represent the dynamic Characteristics.

# STATIC CHARACTERISTICS

# 1) Accuracy

Accuracy is defined as the degree of closeness with which an instrument reading approaches to the true value of the quantity being measured. It determines the closeness to true value of instrument reading.

Accuracy is represented by percentage of full scale reading or in terms of inaccuracy or in terms of error value.

Example, Accuracy of temperature measuring instrument might be specified by  $\pm 3^{\circ}$ C. This accuracy means the temperature reading might be within + or  $-3^{\circ}$ C deviation from the true value.

Accuracy of an instrument is specified by ±5% for the range of 0 to 200°C in the

temperature scale means the reading might be within + or -10°C of the true reading.

# 2) Precision

Precision is the degree of repeatability of a series of the measurement. Precision is measures of the degree of closeness of agreement within a group of measurements are repeatedly made under the prescribed condition.

Precision is used in measurements to describe the stability or reliability or the reproducibility of results.

Accuracy	Precision		
It refers to degree of closeness of the	It refers to the degree of agreement		
measured value to the true value	among group of readings		
Accuracy gives the maximum error that is	Precision of a measuring system gives		
maximum departure of the final result from	its capability to reproduce a certain		
its true value	reading with a given accuracy		

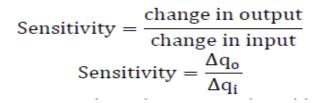
# Comparison between accuracy and precision

# 3) Bias

Bias is quantitative term describing the difference between the average of measured readings made on the same instrument and its true value (It is a characteristic of measuring instruments to give indications of the value of a measured quantity for which the average value differs from true value).

# 4) Sensitivity

Sensitivity is defined as the ratio of change in output signal (response) to the change in input signal (measurand). It is the relationship indicating how much output changes when input changes.



If the sensitivity is constant then the system is said to be linear system. If the sensitivity is variable then the system is said to be non linear system.

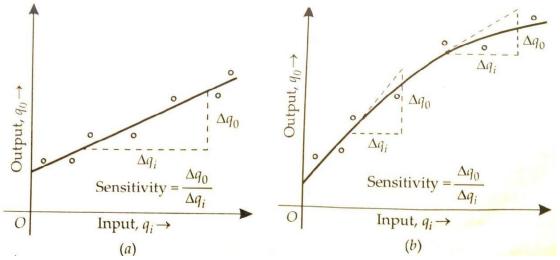


Figure 3 Definition of sensitivity for (a) Linear and (b) Non linear instrument

When the calibration curve is linear as in figure 3a the sensitivity of the instrument can be defined as in slope of the calibration curve. In this case sensitivity is constant over the entire range of instrument. If the curve is not normally straight line or nonlinear instrument sensitivity varies with the input or varies from on range to another as in figure 3b.

#### 4) Linearity

Linearity is the best characteristics of an instrument or measurement system. Linearity of the instrument refers to the output is linearly or directly proportional to input over the entire range of instrument. So the degree of linear (straight line) relationship between the output to input is called as linearity of an instrument.

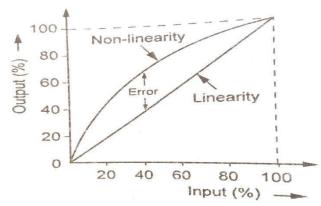


Figure 4 Representation of Linearity and Non-Linearity of an Instrument

**Nonlinearity:** The maximum difference or deviation of output curve from the Specified idealized straight line as shown in figure 4. Independent nonlinearity may be defined as

Non linearity = 
$$\frac{\text{Maximum deviation of output from the idealized straight line}}{\text{Actual reading or response}} X 100$$

#### 5) Resolution

Resolution or Discrimination is the smallest change in the input value that is required to cause an appreciable change in the output. (The smallest increment in input or input change which can be detected by an instrument is called as resolution or discrimination)

#### 6) Hysteresis

Hysteresis is Non-coincidence of loading and unloading curves on output. Hysteresis effect shows up in any physical, chemical or electrical phenomenon

When input increases, output also increases and calibration curve can be drawn. If input is decreases from maximum value and output also decreases but does not follow the same curve, then there is a residual output when input is zero. This phenomenon is called Hysteresis. The difference between increasing change and decreasing change of output values is known as hysteresis error as shown in figure 5.

(The different outputs from the same value of quantity being measured are reached by a continuously increasing change or a continuously decreasing change)

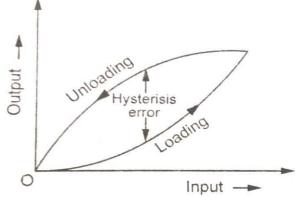


Figure: 5 Hysteresis Error of an instrument

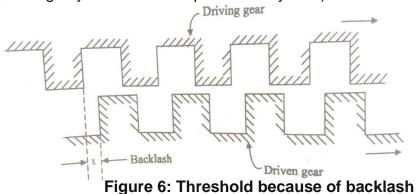
# 7) Dead Zone

Dead zone or dead band is defined as the largest change of input quantity for which there is no output the instrument due the factors such as friction, backlash and hysteresis within the system. (The region upto which the instrument does not respond for an input change is called dead zone)

Dead time is the time required by an instrument to begin to respond to change in input quantity.

# 8) Backlash

The maximum distance through which one part of the instrument is moved without disturbing the other part is called as backlash. (Backlash may be defined as the maximum distance or angle through which any part of the instrument can be moved without causing any motion of next part of the system)



Reasons for the presence of backlash in an instrument include allowing for lubrication, manufacturing errors, deflection under load, and thermal expansion.

## 9) Drift

Drift is an undesirable change in output over a period of time that is unrelated to change in input, operating conditions. Drift is occurred in instruments due to internal temperature variations, ageing effects and high stress ect.

Zero drift is used for the changes that occur in output when there is zero output. It is expressed as percentage of full range output.

## 10) Threshold

The minimum value of input which is necessary to activate an instrument to produce an output is termed its threshold as shown in figure 7. (Threshold is the minimum value of the input required to cause the pointer to move from zero position).

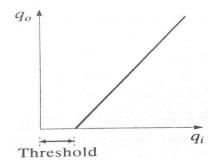


Figure 7: Threshold effect

# 11) Input Impedance

The magnitude of the impedance of element connected across the signal source is called Input Impedance. Figure 8 shows a voltage signal source and input device connected across it.

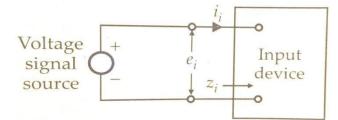


Figure 8: voltage source and input device

The magnitude of the input impedance is given by

$$Z_i = \frac{\tilde{e}_i}{i_i}$$

Power extracted by the input device from the signal source is

$$P = e_i i_i = \frac{e_i^2}{Z_i}$$

From above two expressions it is clear that a low input impedance device connected across the voltage signal source draws more current and more power from signal source than high input impedance device.

# 12) Loading Effect

Loading effect is the incapability of the system to faith fully measure, record or control the input signal in accurate form.

#### 13) Repeatability

Repeatability is defined as the ability of an instrument to give the same output for repeated applications of same input value under same environmental condition.

#### 14) Reproducibility

Reproducibility is defined as the ability of an instrument to reproduce the same output for repeated applications of same input value under different environment condition. In case of perfect reproducibility the instrument satisfies no drift condition.

# 15) Static Error

The difference between the measured value of quantity and true value (Reference Value) of quantity is called as Error.

Error = Measured value - True Value

 $\delta A = A_m - A_t$ 

δA - error

A<sub>m</sub> - Measured value of quantity

At - True value of quantity

# **16) Static Correction**

It is the difference between the true value and the measurement value of the quantity

 $\delta C = A_t - A_m = - \delta A$ 

δC – Static correction

# 17) Scale Range

It can be defined as the measure of the instrument between the lowest and highest readings it can measure. A thermometer has a scale from  $-40^{\circ}$ C to  $100^{\circ}$ C. Thus the range varies from  $-40^{\circ}$ C to  $100^{\circ}$ C.

# 18) Scale Span

It can be defined as the range of an instrument from the minimum to maximum scale value. In the case of a thermometer, its scale goes from  $-40^{\circ}$ C to  $100^{\circ}$ C. Thus its span is 140°C. As said before accuracy is defined as a percentage of span. It is actually a deviation from true expressed as a percentage of the span.

# **DYNAMIC CHARACTERISTICS**

The dynamic behaviour of an instrument is determined by applying some standard form of known and predetermined input to its primary element (sensing element) and then studies the output. Generally dynamic behaviour is determined by applying following three types of inputs.

- 1. **Step Input:** Step change in which the primary element is subjected to an instantaneous and finite change in measured variable.
- 2. Linear Input: Linear change, in which the primary element is, follows a measured variable, changing linearly with time.
- 3. **Sinusoidal input:** Sinusoidal change, in which the primary element follows a measured variable, the magnitude of which changes in accordance with a sinusoidal function of constant amplitude.

The dynamic characteristics of an instrument are

- (i) Speed of response
- (ii) Fidelity
- (iii) Lag
- (iv) Dynamic error

# (i) Speed of Response

It is the rapidity with which an instrument responds to changes in the measured quantity.

# (ii) Fidelity

It is the degree to which an instrument indicates the changes in the measured variable without dynamic error (faithful reproduction or fidelity of an instrument is the ability of reproducing an input signal faithfully (truly).

# (iii) Lag

It is the retardation or delay in the response of an instrument to changes in the measured variable. The measuring lags are two types:

- Retardation type: In this case the response of an instrument begins immediately after a change in measured variable is occurred.
- Time delay type: In this case the response of an instrument begins after a dead time after the application of the input quantity.

# (iv) Dynamic Error

Error which is caused by dynamic influences acting on the system such as vibration, roll, pitch or linear acceleration. This error may have an amplitude and usually a frequency related to the environmental influences and the parameters of the system itself.

# **CLASSIFICATION OF ERRORS**

All measurement can be made without perfect accuracy (degree of error must always be assumed). In reality, no measurement can ever made with 100% accuracy. It is important to find that actual accuracy and different types of errors can be occurred in measuring instruments. Errors may arise from different sources and usually classified as follows, Classification of Error

- 1. Gross Errors
- 2. Systematic Errors
  - a) Instrumental errors
    - i) Inherent shortcomings of instruments
    - ii) Misuse of instruments

iii) Loading effects

## b) Environmental errors

- c) Observational errors
- 3. Random Errors

# 1. Gross Errors

The main source of Gross errors is human mistakes in reading or using instruments and in recording and calculating measured quantity. As long as human beings are involved and they may grossly misread the scale reading, then definitely some gross errors will be occurred in measured value.

Example, Due to an oversight, Experimenter may read the temperature as 22.7°C while the actual reading may be 32.7°C He may transpose the reading while recording. For example, he may read 16.7°C and record 27.6°C as an alternative.

The complete elimination of gross errors is maybe impossible, one should try to predict and correct them. Some gross errors are easily identified while others may be very difficult to detect. Gross errors can be avoided by using the following two ways.

Great care should be taken in reading and recording the data.

Two, three or even more readings should be taken for the quantity being measured by using different experimenters and different reading point (different environment condition of instrument) to avoid re-reading with same error. So it is suitable to take a large number of readings as a close agreement between readings assures that no gross error has been occurred in measured values.

# 2. Systematic Errors

Systematic errors are divided into following three categories.

- i. Instrumental Errors
- ii. Environmental Errors
- iii. Observational Errors

## i) Instrumental Errors

These errors are arises due to following three reasons (sources of error).

- a) Due to inherent shortcoming of instrument
- b) Due to misuse of the instruments, and
- c) Due to loading effects of instruments

a) Inherent Shortcomings of instruments

These errors are inherent in instruments because of their mechanical structure due to construction, calibration or operation of the instruments or measuring devices.

These errors may cause the instrument to read too low or too high.

Example, if the spring (used for producing controlling torque) of a permanent magnet instrument has become weak, so the instrument will always read high.

Errors may be caused because of friction, hysteresis or even gear backlash.

Elimination or reduction methods of these errors,

- <sup>°</sup> The instrument may be re-calibrated carefully.
- The procedure of measurement must be carefully planned. Substitution methods or calibration against standards may be used for the purpose.
- <sup>°</sup> Correction factors should be applied after determining the instrumental

#### errors.

#### b) Misuse of Instruments

In some cases the errors are occurred in measurement due to the fault of the operator than that of the instrument. A good instrument used in an unintelligent way may give wrong results.

Examples, Misuse of instruments may be failure to do zero adjustment of instrument, poor initial adjustments, using leads of too high a resistance and ill practices of instrument beyond the manufacturer's instruction and specifications ect.

#### c) Loading Effects

The errors committed by loading effects due to improper use of an instrument for measurement work. In measurement system, loading effects are identified and corrections should be made or more suitable instruments can be used.

Example, a well calibrated voltmeter may give a misleading (may be false) voltage reading when connected across a high resistance circuit. The same voltmeter, when connected across a low resistance circuit may give a more reliable reading (dependable or steady or true value).

In this example, voltmeter has a loading effect on the circuit, altering the actual circuit conditions by measurement process. So errors caused by loading effect of the meters can be avoided by using them intelligently.

#### ii) Environmental Error

Environmental error occurs due to external environmental conditions of the instrument, such as effects of temperature, pressure, humidity, dust, vibration or external magnetic or electrostatic fields.

Elimination or reduction methods of these undesirable errors are

- Arrangements should be made to keep the conditions as nearly as constant as possible. Example, temperature can be kept constant by keeping the instrument in the temperature controlled region.
- <sup>□</sup> The device which is used against these environmental effects.

Example, variations in resistance with temperature can be minimized by using very low resistance temperature co-efficient of resistive material.

- Employing techniques which eliminate the effects of these disturbances. For example, the effect of humidity dust etc., can be entirely eliminated by tightly sealing the equipment.
- The external or electrostatic effects can be eliminated by using magnetic or electrostatic shield on the instrument.
- Applying computed corrections: Efforts are normally made to avoid the use of application of computed corrections, but where these corrections are needed and are necessary, they are incorporated for the computations of the results

# iii) Observational Errors

There are many sources of observational errors. As an example, the pointer of a voltmeter rests slightly above the surface of the scale. Thus an error on account of PARALLAX will be acquired unless the line of vision of the observer is exactly above the pointer. To minimize parallax errors, highly accurate meters are provided with mirrored scales as shown in figure 3.1.

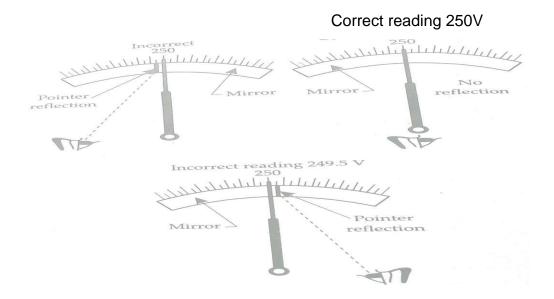


Figure 3.1: Errors due to parallax

When the pointer's image appears hidden by the pointer, observer's eye is directly in line with the pointer. Although a mirrored scale minimizes parallax error, an error is necessarily presented through it may be very small.

So we can eliminate this parallax error by having the pointer and scale in the same plane as shown in figure 3.2

Scale Pointer

# Figure 3.2: Arrangements showing scale and pointer in the same plane

The observational errors are also occurs due to involvement of human factors. For example, there are observational errors in measurements involving timing of an event Different observer may produce different results, especially when sound and light measurement are involved. The complete elimination of this error can be achieved by using digital display of output.

## 3. Random Errors

These errors are occurred due to unknown causes and are observed when the magnitude and polarity of a measurement fluctuate in changeable (random) manner.

The quantity being measure is affected by many happenings or disturbances and ambient influence about which we are unaware are lumped together and called as Random or Residual. The errors caused by these disturbances are called Random Errors. Since the errors remain even after the systematic errors have been taken care, those errors are called as Residual (Random) Errors.

Random errors cannot normally be predicted or corrected, but they can be minimized by skilled observer and using a well maintained quality instrument.

## SOURCES OF ERRORS

The sources of error, other than the inability of a piece of hardware to provide a true measurement are listed below,

- 1) Insufficient knowledge of process parameters and design conditions.
- 2) Poor design
- 3) Change in process parameters, irregularities, upsets (disturbances) ect.
- 4) Poor maintenance
- 5) Errors caused by people who operate the instrument or equipment.

Certain design limitations.

## **Errors in Measuring Instruments**

No measurement is free from error in reality. An intelligent skill in taking measurements is the ability to understand results in terms of possible errors. If the

precision of the instrument is sufficient, no matter what its accuracy is, a difference will always be observed between two measured results. So an understanding and careful evaluation of the errors is necessary in measuring instruments. The Accuracy of an instrument is measured in terms of errors.

## True value

The true value of quantity being measured is defined as the average of an infinite number of measured values when the average deviation due to the various contributing factors tends to zero.

In ideal situation is not possible to determine the True value of a quantity by experimental way. Normally an experimenter would never know that the quantity being measured by experimental way is the True value of the quantity or not.

In practice the true value would be determined by a "standard method", that is a method agreed by experts with sufficient accurate.

#### Static Error

Static error is defined as a difference between the measured value and the true value of the quantity being measured. It is expressed as follows.

 $\delta A = A_m - A_t \qquad (1)$ 

Where,  $\delta A$ = Error,  $A_m$  =Measured value of quantity and  $A_t$ = True value of quantity.  $\delta A$  is also called as absolute static error of quantity A and it is expressed as follows.

ε<sub>0</sub>=δA ----- (2)

Where,  $\varepsilon_0$  = Absolute static error of quantity A under measurement.

The absolute value of  $\delta A$  does not specify exactly the accuracy of measurement .so the quality of measurement is provided by relative static error.

## **Relative static error**

Relative static error is defined as the ratio between the absolute static errors and

true value of quantity being measured. It is expressed as follows.

$$\varepsilon_{r} = \frac{Absolute \ Error}{True \ Value} = \frac{\delta A}{A_{t}} = \frac{\varepsilon_{0}}{A_{t}} - \dots (3)$$
Percentage static error= %  $\varepsilon_{r} = \varepsilon_{r} \times 100$ 
From equation (1),  $A_{t} = A_{m} - \delta A$ 
 $A_{t} = A_{m} - \varepsilon_{0}$ 
 $A_{t} = A_{m} - \varepsilon_{r}A_{t} - \dots (4)$ 
 $A_{t} + \varepsilon_{r}A_{t} = A_{m}$ 
 $A_{t} (1 + \varepsilon_{r}) = A_{m}$ 
 $A_{t} = \frac{A_{m}}{1 + \varepsilon_{r}}$ 

 $\epsilon_0=\delta A ~is~small,~which~means~that~the~difference~between~measured~value~and~true~values~is~very~small,~A_m-A_t=Negligible~or~small.~So~Almost$ 

 $A_m = A_t$  (that is  $\varepsilon_r <<<1$ ).

From equation (4), 
$$A_t = A_m - \mathcal{E}_r A_t$$
  
Substitute  $A_t = A_m$  in equation (4),  
 $A_t = A_m - \mathcal{E}_r A_m$   
 $A_t = A_m (1 - \mathcal{E}_r)$ 

# STATIC ERROR CORRECTION OR METHOD OF CORRECTION

It is the difference between the true value and the measured value of quantity.  $\delta C = A_t - A_m$  ------ (5)

Where,  $\delta C$ = Static Error Correction = -  $\delta A$ 

\* For Detail Error correction (Rectification or Elimination or Reduction) methods of

all categories of errors are discussed in the topic of classification of errors.

# ANALYSIS OF DATA

Analysis of data is a process of inspecting, cleaning, transforming, and modeling data with the goal of discovering useful information, suggesting conclusions, and supporting decision-making. Analysis refers to breaking a whole into its separate components for individual examination. Data analysis is a process for obtaining raw data and converting it into information useful for decision-making by users.

# STATISTICAL EVALUATION OF MEASUREMENT DATA

Statistical Evaluation of measured data is obtained in two methods of tests as shown in below.

- Multi Sample Test: In multi sample test, repeated measured data have been acquired by different instruments, different methods of measurement and different observer.
- Single Sample Test: measured data have been acquired by identical conditions (same

instrument, methods and observer) at different times.

Statistical Evaluation methods will give the most probable true value of measured quantity. The mathematical background statistical evaluation methods are Arithmetic Mean, Deviation Average Deviation, Standard Deviation and variance.

# **Arithmetic Mean**

The most probable value of measured reading is the arithmetic mean of the number of reading taken. The best approximation is made when the number of readings of the same quantity is very large. Arithmetic mean or average of measured variables X

is calculated by taking the sum of all readings and dividing by the number of reading.

The Average is given by,

$$X = \frac{x_1 + x_2 + x_3 + \dots + x_n}{n} = \frac{\Sigma x}{n}$$

Where, X= Arithmetic mean,  $x_1$ ,  $x_{2...}$   $x_n$  = Readings or variable or samples and n= number of readings.

# **Deviation (Deviation from the Average value)**

The Deviation is departure of the observed reading from the arithmetic mean of the group of reading. Let the deviation of reading  $x_1$  be  $d_1$  and that of  $x_2$  be  $d_2$  etc.,

$$d_1 = x_1 - X$$
  
 $d_2 = x_2 - X$   
...  
 $d_n = x_n - X$  The

algebraic sum deviation is Zero  $(d_1 + d_2 + ... + d_n = 0)$ 

## **Average Deviation:**

Average deviation defined as the average of the modulus (without respect to its sign) of the individual deviations and is given by,

$$D = \frac{|d_1| + |d_2| + |d_3| + \dots + |d_n|}{n} = \frac{\Sigma |d|}{n}$$

Where, D= Average Deviation.

The average deviation is used to identify precision of the instruments which is used in making measurements. Highly precise instruments will give a low average deviation between readings.

#### **Standard Deviation**

Standard deviation is used to analysis random errors occurred in measurement. The standard Deviation of an infinite number of data is defined as the square root of the sum of individual deviations squared, divided by the number of readings (n).

Standard deviation is 
$$S.D = \sigma = \sqrt{\frac{d_1^2 + d_2^2 + d_3^2 + \dots + d_n^2}{n}} = \sqrt{\frac{\Sigma d^2}{n}}$$
; for n >20  
Standard deviation is  $S.D = s = \sqrt{\frac{d_1^2 + d_2^2 + d_3^2 + \dots + d_n^2}{n-1}} = \sqrt{\frac{\Sigma d^2}{n-1}}$ ; for n <20

## Variance

The variance is the mean square deviation, which is the same as S.D except Square root. Variance is Just the squared standard deviation.

Variance 
$$V = (\text{Standard deviation})^2$$
  
Variance  $V = \sigma^2 = \frac{d_1^2 + d_2^2 + d_3^2 + \dots + d_n^2}{n} = \frac{\Sigma d^2}{n}$ ; for n >20

Variance 
$$V = s^2 = \frac{d_1^2 + d_2^2 + d_3^2 + \dots + d_n^2}{n-1} = \frac{\Sigma d^2}{n-1}$$
; for n <20

# Histogram:

When a number of Multisample observations are taken experimentally there is a scatter of the data about some central value. For representing this results in the form of a

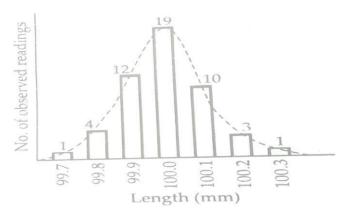
Histogram. A histogram is also called a frequency distribution curve.

Example: Following table3.1 shows a set of 50 readings of length measurement. The most probable or central value of length is 100mm represented as shown in figure 3.3 Histogram.

	Number	of	observed
Length (mm)	readings		
	(frequency	y or occ	currence)
99.7	1		
99.8	4		
99.9	12		
100.0	19		
100.1	10		
100.2	3		
100.3	1		
			1

Table 3.1

Total number of readings =50



#### Figure 3.3: Histogram

This histogram indicates the number of occurrence of particular value. At the central value of 100mm is occurred 19 times and recorded to the nearest 0.1mm as shown in figure 3.3. Here bell shape dotted line curve is called as normal or Gaussian curve.

#### Measure of Dispersion from the Mean

The property which denotes the extent to which the values are dispersed about the central value is termed as dispersion. The other name of dispersion is spread or scatter.

Measure of dispersion from central value is an indication of the degree of consistency (precision) and regularity of the data.

Example: Figure 3.4 shows the two sets of data and curve 1 vary from  $x_1$  to  $x_2$  and curve 2 vary from  $x_3$  to  $x_4$ . Curve 1 is having smaller dispersion from central value than the curve 2. Therefore curve 1 is having greater precision than the curve 2.

Curve 1. Greater precision yCurve 2. Lower precision Jurve 1 'h' for curve 1 is greater than for curve 2 Curve 2 h  $x_1$ X3  $x_2$ 0  $x_4$ 

## Figure 3.4: Curves showing different ranges and precision index

#### Range

The simplest possible measure of dispersion is the range which is the difference between greatest and least values of measured data.

Example: In figure 3.4, the range of curve1 is  $(x_2 - x_1)$  and range of curve 2 is  $(x_4 - x_3)$ .

#### Limiting Errors (Guarantee Errors or Limits of errors):

In most of the instruments the accuracy is guaranteed to be within a certain percentage of full scale reading. The manufacturer has to specify the deviations from the nominal value of a particular quantity. The limits of these deviations from the specified value are called as Limiting Errors or Guarantee Errors.

The magnitude of Limiting Error=Accuracy x Full scale reading. In general the actual value of quantity is determined as follows.

Actual Value of Quantity = Nominal value 
$$\pm$$
 Limiting Error  
A<sub>a</sub> = A<sub>n</sub>  $\pm \delta A$ 

Where,  $A_a$  = Actual value of quantity;  $A_n$  = Nominal value of Quantity; ±  $\delta A$ = Limiting error.

For Example, Nominal magnitude of resister is  $1000\Omega$  with a limiting error  $\pm 100\Omega$ .

Determine the Actual magnitude of the resistance.

Actual value of quantity  $A_a = 1000 \pm 100\Omega$  or  $A_a \ge 900\Omega$  and  $A_a \le 1100\Omega$ .

Therefore the manufacturer guarantees that the value of resistance of resistor lies between 900 $\Omega$  and 1100 $\Omega$ .

## **Relative (Fractional) Limiting Error**

The relative limiting error is defined as the ratio of the error to the specified (nominal) magnitude of the quantity.

Relative Limiting Error ε<sub>r</sub>=

Then limiting values calculated as follows,

We know that  $A_a = A_n \pm \delta A = A_n \pm \epsilon_r A_n = A_n (1 \pm \epsilon_r)$ Percentage limiting error %  $\epsilon_r = \epsilon_r x 100$ 

In limiting errors the nominal value  $A_n$  is taken as the true value or quantity, the quantity which has the maximum deviation from  $A_a$  is taken as the incorrect quantity.

Then 
$$\delta A = A_a - A_n$$

Therefore Relative Limiting Error  $\epsilon_r = \frac{A_a - A_n}{A_n} = \frac{Actual value - nominal value}{nom inal value}$ 

For Example, considered  $A_n = 100\Omega$  and  $\delta A = \pm 10 \Omega$ ; Relative limiting error  $\varepsilon_r = \frac{\delta A}{A_n} = \pm \frac{10}{100} = \pm 0.1$ Percentage Limiting error  $\% \varepsilon_r = 0.1 \times 100 = \pm 10\%$ 

Limiting values of resistance are:

$$A_a = A_n (1 \pm \mathcal{E}_{\Gamma}) = 100 (1 \pm 0.1) = 100 \pm 10\Omega$$

**Probable error** 

The most probable or best value of a Gaussian distribution is obtained by taking arithmetic mean of the various values of the variety. A convenient measure of precision is achieved by the quantity r. It is called Probable Error of P.E. It is expressed as follows,

Probable Error = P. E = 
$$r = \frac{0.4769}{h}$$

Where r= probable error and h= constant called precision index

Gaussian distribution and Histogram are used to estimate the probable error of any measurement.

## Normal or Gaussian curve of errors

The normal or Gaussian law of errors is the basis for the major part of study of random errors. The law of probability states the normal occurrence of deviations from average value of an infinite number of measurements can be expressed by,

$$y = \frac{h}{\sqrt{n}} \exp(-h^2 x^2)$$

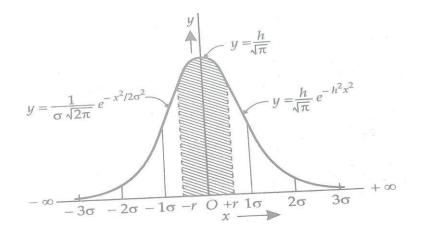
Where, x= magnitude deviation from

mean

y=Number of readings at any deviation x (the probability of occurrence of deviation x) h = A constant called precision index

The Normal or Gaussian probability curve is shown in figure 3.5. In this curve r is the

measure of precision quantity (probable error=r). The points -r and +r are locating the area bounded by the Gaussian curve.



#### Figure 3.5: The Normal or Gaussian probability curve

Precision index x=0 then,  $y = h/\Box$ . The maximum value of y depends upon h. If y is larger, then the corresponding curve is having greater precision. Then the probable is determined

using following expression.

Probable Error = 
$$r = \frac{0.4769}{h}$$

#### Instrument Error Combination:

When two or more quantities are measurand, then final result is easily generalised for many measurand by using the combination of these quantities. In many measurand each quantity having limiting error, are combined, it is easy to compute the limiting error of combination. The limiting error can be easily found by considering the relative increment of the function if the final result is in the form of an algebraic equation.

# 1) Sum of two Quantities (Addition)

Let us consider r1 and r2 are measurand quantities and final result

is X Therefore, 
$$X = r_1 + r_2$$

The relative increment of the function is given by,

$$\frac{dX}{X} = \frac{d(r_1 + r_2)}{X}$$
$$\frac{dX}{X} = \frac{dr_1}{X} + \frac{dr_2}{X}$$

Expressing the result in terms of relative increment of the component quantities,

$$\frac{dX}{X} = \frac{\mathbf{r}_1 d\mathbf{r}_1}{X \mathbf{r}_1} + \frac{\mathbf{r}_2 d\mathbf{r}_2}{X \mathbf{r}_2}$$

If the limiting errors of quantities are represented by  $\pm \delta r_1$  and  $\pm \delta r_2$ , then the corresponding relative limiting error in X is given by,

$$\frac{\delta X}{X} = \pm \left[ \frac{r_1}{X} \frac{\delta r_1}{r_1} + \frac{r_2}{X} \frac{\delta r_2}{r_2} \right]$$

The above equation shows that the resultant limiting error is equal to the sum of the products formed by multiplying the individual relative limiting errors by ratio of each term to the function.

# 2) Difference of two Quantities (Subtraction)

Let us consider r1 and r2 are measurand quantities and final result

is X Therefore, 
$$X = r_1 - r_2$$

The relative increment of the function is given by,

$$\frac{dX}{X} = \frac{d(r_1 - r_2)}{X}$$
$$\frac{dX}{X} = \frac{dr_1}{X} - \frac{dr_2}{X}$$

Expressing the result in terms of relative increment of the component quantities,

$$\frac{dX}{X} = \frac{\mathbf{r}_1 d\mathbf{r}_1}{X \mathbf{r}_1} - \frac{\mathbf{r}_2 d\mathbf{r}_2}{X \mathbf{r}_2}$$

If the limiting errors of quantities are represented by  $\pm \delta r_1$  and  $\pm \delta r_2$ , the signs may be indicated, when the error in  $r_1$  is  $+\delta r_1$ , the error in  $r_2$  is  $-\delta r_2$  and vice versa, then the relative limiting error in X is given by,

$$\frac{\delta X}{X} = \pm \left[ \frac{r_1 \, \delta r_1}{X \, r_1} + \frac{r_2 \, \delta r_2}{X \, r_2} \right]$$

# 3) Sum of difference of more than two Quantities (Subtraction)

Let us consider r1, r2 and r3 are measurand quantities and final result is X

Therefore, 
$$X = r_1 \pm r_2 \pm r_3$$

Then the relative limiting error in X is given by,

$$\frac{\delta X}{X} = \pm \left[ \frac{r_1}{X} \frac{\delta r_1}{r_1} + \frac{r_2}{X} \frac{\delta r_2}{r_2} + \frac{r_3}{X} \frac{\delta r_3}{r_3} \right]$$

#### 4) Product of two Quantities (Multiplication)

Let us consider r<sub>1</sub> and r<sub>2</sub> are measurand quantities and final result is X

Therefore,  $X = r_1 r_2$  $\log_e X = \log_e r_1 + \log_e r_2$ 

Differentiating the above with respect to X,

$$\frac{1}{X} = \frac{1}{r_1} \frac{dr_2}{dX} + \frac{1}{r_2} \frac{dr_2}{dX}$$
$$\frac{1}{X} = \frac{1}{dX} \left[ \frac{dr_1}{r_1} + \frac{dr_2}{r_2} \right]$$
$$\frac{dX}{X} = \frac{dr_1}{r_1} + \frac{dr_2}{r_2}$$

If the limiting errors of quantities are represented by  $\pm \delta r_1$  and  $\pm \delta r_2$ , then the corresponding relative limiting error in X is given by,

$$\frac{\delta X}{X} = \pm \left[\frac{\delta r_1}{r_1} + \frac{\delta r_2}{r_2}\right]$$

Therefore the relative limiting error of product of terms is equal to the sum of relative limiting errors of terms.

#### 5) Quotient (Division)

Let us consider r1 and r2 are measurand quantities and final result is X

Therefore,  $X = \frac{r_1}{r_2}$  $\log_e X = \log_e r_1 - \log_e r_2$ 

Differentiating the above with respect to X,

$$\frac{1}{X} = \frac{1}{r_1} \frac{\mathrm{d}r_1}{\mathrm{d}X} - \frac{1}{r_2} \frac{\mathrm{d}r_2}{\mathrm{d}X}$$
$$\frac{1}{X} = \frac{1}{\mathrm{d}X} \left[ \frac{\mathrm{d}r_1}{r_1} - \frac{\mathrm{d}r_2}{r_2} \right]$$
$$\frac{\mathrm{d}X}{X} = \frac{\mathrm{d}r_1}{r_1} - \frac{\mathrm{d}r_2}{r_2}$$

If the limiting errors of quantities are represented by  $\pm \delta r_1$  and  $\pm \delta r_2$  and considering worst condition when  $\delta x_1/x_1$  is +ve and  $\delta x_2/x_2$  is -ve or vice versa. Then the relative limiting error in X is given by,

$$\frac{\delta X}{X} = \pm \left[\frac{\delta r_1}{r_1} + \frac{\delta r_2}{r_2}\right]$$

The above result is same as the result for product of two quantities.

#### 7) Product or quotient of more than two quantities

Let us consider r1, r2 and r3 are measurand quantities and final result is X

Let, 
$$X = r_1 r_2 r_3$$
 or  $X = \frac{r_1}{r_2 r_3}$  or  $X = \frac{1}{r_1 r_2 r_3}$ 

Therefore from multiplication and division result, the relative limiting error in X is

$$\frac{\delta X}{X} = \pm \left[\frac{\delta r_1}{r_1} + \frac{\delta r_2}{r_2} + \frac{\delta r_3}{r_3}\right]$$

7) Power of a factor

 $\label{eq:Let us consider} \begin{array}{ll} \mbox{Let us consider}, & X = r_1^n \\ \mbox{log}_e \, X = n \mbox{log}_e \, r_1 \end{array}$  Differentiating above with respect to X,

$$\frac{1}{X} = n \frac{1}{r_1} \frac{dr_1}{dX}$$
$$\frac{dX}{X} = n \frac{dr_1}{r_1}$$

Therefore the relative limiting error in X is,

$$\frac{\delta X}{X} = \pm n \frac{\delta r_1}{r_1}$$

It clear from above result under these conditions is magnified n times.

7) Composite factors Let us consider,  $X = r_1^n r_1^m$  $\log_e X = n\log_e r_1 + m\log_e r_2$ Differentiating above with respect to X,

$$\frac{1}{X} = \frac{n}{r_1} \frac{dr_1}{dX} + \frac{m}{r_2} \frac{dr_2}{dX}$$
$$\frac{dX}{X} = n \frac{dr_1}{r_1} + m \frac{dr_2}{r_2}$$
Thus the limiting error in X is,
$$\frac{\delta X}{X} = \pm \left[ n \frac{\delta r_1}{r_1} + m \frac{\delta r_2}{r_2} \right]$$

#### Calibration

Calibration is the process of checking the accuracy of instrument by comparing the instrument reading with a standard or against a similar meter of known accuracy. So using calibration is used to find the errors and accuracy of the measurement system or an instrument.

Calibration is an essential process to be undertaken for each instrument and measuring system regularly. The instruments which are actually used for measurement work must be calibrated against some reference instruments in which is having higher accuracy. Reference instruments must be calibrated against instrument of still higher accuracy or against primary standard or against other standards of known accuracy.

The calibration is better carried out under the predetermined environmental conditions. All industrial grade instruments can be checked for accuracy in the laboratory by using the working standard.

Certification of an instrument manufactured by an industry is undertaken by National Physical Laboratory and other authorizes laboratories where the secondary standards and working standards are kept.

#### **Process of Calibration**

The procedure involved in calibration is called as process of calibration. Calibration procedure involves the comparison of particular instrument with either

- □ A primary standard,
- A secondary standard with higher accuracy than the instrument to be calibrated
- <sup>□</sup> An instrument of known accuracy.

Procedure of calibration as follows.

Study the construction of the instrument and identify and list all the possible inputs.

- Choose, as best as one can, which of the inputs will be significant in the application for which the instrument is to be calibrated.
- Standard and secure apparatus that will allow all significant inputs to vary over the ranges considered necessary.
- By holding some input constant, varying others and recording the output, develop the desired static input-output relations.

# **Theory and Principles of Calibration Methods**

Calibration methods are classified into following two types,

- 1) Primary or Absolute method of calibration
- 2) Secondary or Comparison method of calibration
  - i. Direct comparison method of calibration
  - ii. Indirect comparison method of calibration

# 1) Primary or Absolute method of calibration

If the particular test instrument (the instrument to be calibrated) is calibrated against primary standard, then the calibration is called as primary or absolute calibration. After the primary calibration, the instrument can be used as a secondary calibration instrument.

Test	Meter	(The		standar
instrument			Primary	d
			meter	or
to be calibrated)			instrument	

Figure 3.6: Representation of Primary Calibration

# 2) Secondary or Comparison calibration method

If the instrument is calibrated against secondary standard instrument, then the calibration is called as secondary calibration. This method is used for further calibration of other devices of lesser accuracy. Secondary calibration instruments are used in laboratory practice and also in the industries because they are practical calibration sources.

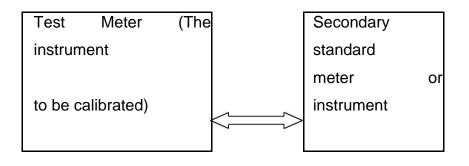
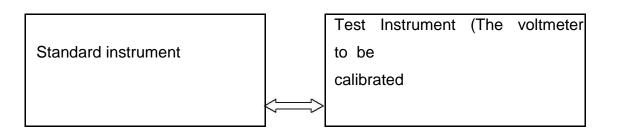


Figure 3.7: Representation of Secondary Calibration

Secondary calibration can be classified further two types,

# i) Direct comparison method of Calibration

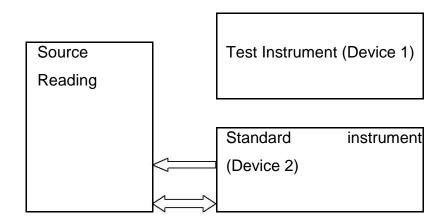
Direct comparison method of calibration with a known input source with same order of accuracy as primary calibration. So the instrument which is calibrated directly is also used as secondary calibration instruments.

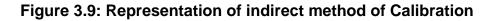


# Figure 3.8: Representation of Direct method of Calibration

# ii) Indirect comparison method of Calibration

The procedure of indirect method of calibration is based on the equivalence of two different devices with same comparison concept.





#### Standards for calibration

Refer Classification of Standards (4 types).

# Standards of measurement:

A standard is a physical representation of a unit of measurement. A known accurate measure of physical quantity is termed as standard. These standards are used to determine the accuracy of other physical quantities by the comparison method.

Example, the fundamental unit of mass in the International System is the Kilogram and defined as the mass of a cubic decimetre of water at its temperature of maximum of density of  $4^{\circ}$ C.

Different standards are developed for checking the other units of measurements

and all these standards are preserved at the International Bureau of Weight and Measures at Serves, Paris.

#### **Classification of Standards**

Standards are classified into four types, based on the functions and applications.

- 1) International standards
- 2) Primary standards
- 3) Secondary standards
- 4) Working standards

#### 1) International Standard

International standards are defined and established upon internationally. They are maintained at the International Bureau of Weights and measures and are not accessible to ordinary users for measurements and calibration. They are periodically evaluated and checked by absolute measurements in terms of fundamental units of physics.

International Ohms It is defined as the resistance offered by a column of mercury having a mass of 14.4521gms, uniform cross sectional area and length of 106.300cm, to the flow of constant current at the melting point of ice.

# 2) Primary Standards

- Primary standards are maintained by the National Standards Laboratories (NSL) in different parts of the world.
- The principle function of primary standards is the calibration and verification of secondary standards.

- <sup>□</sup> They are not available outside the National Laboratory for calibration.
- These primary standards are absolute standards of high accuracy that can be used as ultimate reference standards.

# 3) Secondary Standards

- These standards are basic reference standards used in industrial laboratories for calibration of instruments.
- <sup>□</sup> Each industry has its own secondary standard and maintained by same industry.
- Each laboratory periodically sends its secondary standard to the NSL for calibration and comparison against the primary standards.
- Certification of measuring accuracy is given by NSL in terms of primary standards.

#### 4) Working Standards

- The working standards are used for day-to-day use in measurement laboratories. So this standard is the primary tool of a measurement laboratory.
- These standards may be lower in accuracy in comparison with secondary standard. It is used to check and calibrate laboratory instruments for accuracy and performance.
- Example, a standard resister for checking of resistance value manufactured.

\*(All Figures Courtesy to M/s A.K.Sawhney)

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